

Prof. Dr. Alfred Toth

Lokale Variationen bei Thematisierungen

1. Die Thematisierungen der entitätischen Realitäten von Realitätsthematiken können drei Formen annehmen:

1. $(a.b \leftarrow (c.d, e.f))$
2. $(a.b \rightarrow c.d \leftarrow e.f)$
3. $((a.b, c.d) \rightarrow e.f)$,

von denen die 2., die sog. Sandwich-Thematisierung (vgl. Toth 2026a), im Teilsystem der 10 peirceschen Zeichenklassen nicht vorkommt, es sei denn, man rechne die eigenreale Zeichenklasse dazu.

Bei den in Toth (2026b) behandelten Abbildungen binärer auf ternäre triadische Relationen gibt es weitere strukturelle Möglichkeiten für Thematisierungen: Der ontische Ort, auf den semiotische Werte abgebildet werden können, besitzt in ternären Triaden einen gewissen Spielraum (vgl. Toth 2026c).

2. Lokale Variationen bei Thematisierungen

1. Strukturtyp

$(a.b \leftarrow (c.d, e.f))$

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Literatur

Toth, Alfred, Strukturen von Sandwichthematisierungen. In: Electronic Journal for Mathematical Semiotics, 2026a

Toth, Alfred, Thematisierungsstrukturen ternärer Triaden. In: Electronic Journal for Mathematical Semiotics, 2026b

Toth, Alfred, Eigenrealität als Funktion von semiotischem Wert und Ort. In: Electronic Journal for Mathematical Semiotics, 2026c

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